## Math 9

## 7.5 - Rotational Symmetry

Name: $\qquad$
Date: $\qquad$

Shapes can be rotated $\qquad$ or $\qquad$ .

A shape has ROTATIONAL SYMMETRY if it matches up with itself after a rotation of less than $360^{\circ}$.
The NUMBER of times a shape matches up with itself during ONE ROTATION is called the ORDER OF ROTATION.
The ANGLE OF ROTATIONAL SYMMETRY $=\frac{360^{\circ}}{\text { Order of Rotation }}$


The Cross matches up with itself $\qquad$ times during one complete turn (a rotation of $\qquad$ ${ }^{\circ}$ ).

The angle of rotational symmetry =

Ex. 1: Determine the Order of Rotation and the Angle of Rotational Symmetry for each of the shapes below.


Ex. 2: Rotate the shapes through the angles and directions given below.
$90^{\circ}$ Clockwise about point $D$.
C

$90^{\circ}$ Counter-clockwise about point J.


Ex. 3: Rotate Rectangle $A B C D$ as described below:
a. $90^{\circ}$ Clockwise about vertex $A$.
b. $180^{\circ}$ Clockwise about vertex $A$.
c. $270^{\circ}$ Clockwise about vertex $A$.

What is the Rotational Symmetry of the resulting shape?
$180^{\circ}$ Counter-clockwise about point $C$.

$180^{\circ}$ Clockwise about point $\boldsymbol{H}$.


10

8

6

4

2

0

